

# Announcements and Such

- One Song — *Funkadelic*
  - “I’ll Stay” from *Standing On the Verge of Getting it On*
- **Final Exam will be:**  
Wednesday, May 16, 5-8pm @ 141 MCCONE
- **Possible Questions to be posted on May 1**
- **Today: Skepticism III**
  - Closure vs Relevant alternatives (review)
  - Closure, foundationalism, “easy knowledge”
  - Knowing, showing, and *order* confusions
  - Interlude - The Paradox of the Knower
- **Next Time: Skepticism IV**

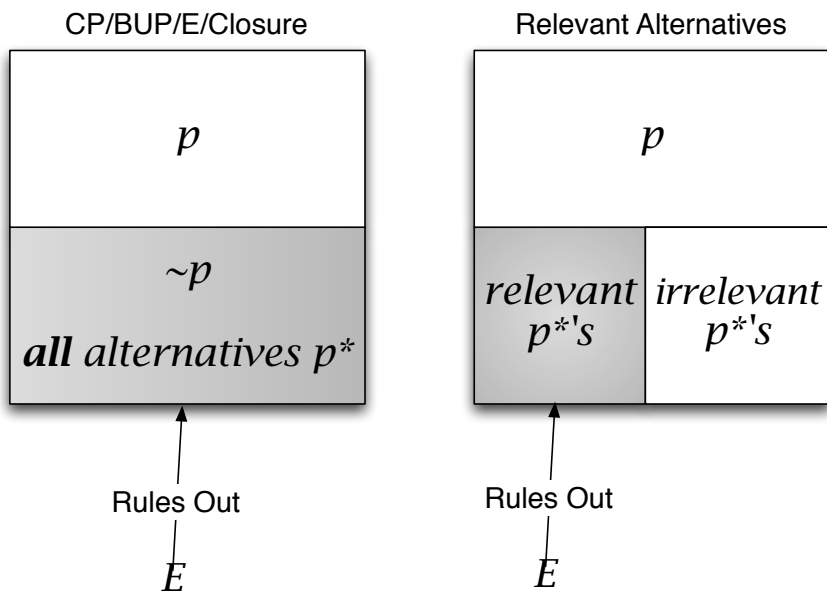
## Skepticism III

### Entailment and Inferential Grounds IV

- On a “relevant alternatives” account of knowledge, *S*’s belief that *p* constitutes *knowledge if S’s total evidence rules-out (not all possible, but) all relevant alternatives to p.*
- So, Dretske’s account is weaker than (BUP), hence, weaker than (C). This allows him to *reject closure* (and related principles like E and BUP).
- At the same time, this also allows Dretske to maintain that we *do know some things.*
- For instance, we know that it’s *zebra* before us, since our evidence rules-out all *relevant alternatives to this* (think: normal zoo stuff).
- But, we *don’t* know it’s *not a cleverly painted horse*, since our evidence *doesn’t* rule-out all relevant alternatives to *this possibility.* Dretske calls such (odd) possibilities “heavyweight”.

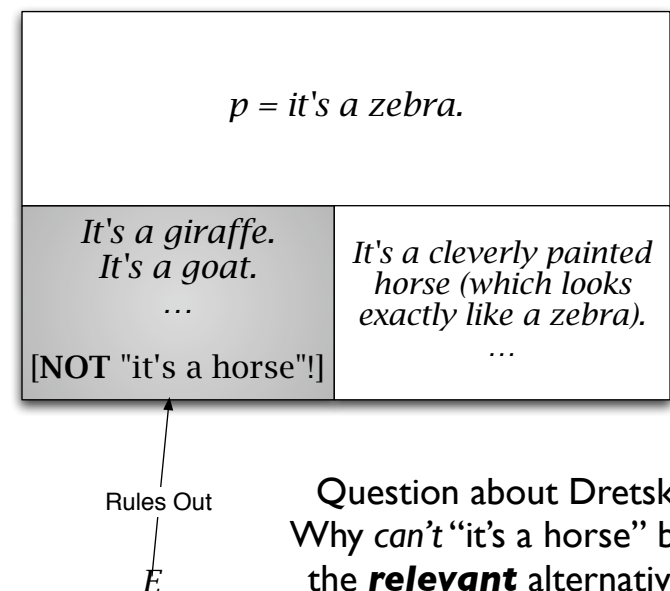
## Skepticism III

### Entailment and Inferential Grounds V



## Skepticism III

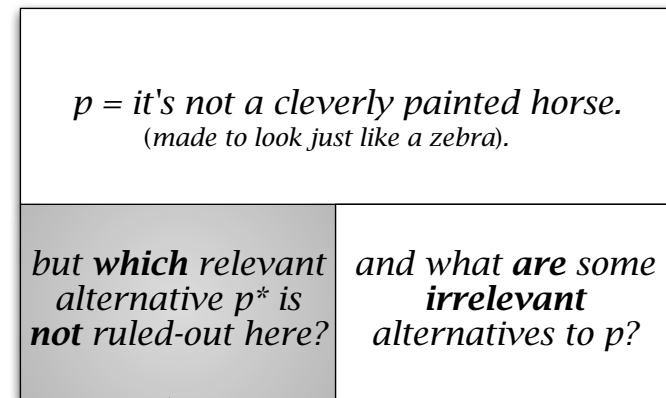
### Entailment and Inferential Grounds V



**Skepticism III**  
Entailment and Inferential Grounds V

- The answer comes from the following fact:
  - **Fact.** Assume (1)  $S$  knows that  $p$ , (2)  $p^*$  is an *irrelevant* alternative to  $p$  that is *not* ruled-out by  $S$ 's grounds ( $E$ ) for  $p$ , (3)  $p^*$  entails  $q$ . Then:
    - (4)  $q$  must be an *irrelevant* alternative to  $p$ .
  - *Why?* Assume, for *reductio*, that (1)–(3) are true, but that (4) is false. That is, assume (1)–(3), but that  $q$  is a *relevant* alternative to  $p$ . If  $q$  is a relevant alternative to  $p$ , then  $q$  must be *ruled-out* by ( $E$ ), since (1)  $S$  knows  $p$ . But, if  $E$  rules-out  $q$ , then it also rules out  $p^*$ , since (3)  $p^*$  entails  $q$ . But, if  $E$  rules-out  $p^*$ , then this *contradicts* (2).
  - If we apply this Fact to Dretske's zebra case, it follows that  $q =$  "it's a horse" *must* be an *irrelevant* alternative to  $p$ . That's a bit odd, no?

**Skepticism III**  
Entailment and Inferential Grounds V



Does **NOT** Rule Out!!

$E$

Presumably, "it is a cleverly painted horse" is *not* ruled-out. But, is *that* alternative *relevant* here? *Why?*

**Skepticism III**  
Entailment and Inferential Grounds VI

- There are other interesting consequences of closure, when combined with foundationalism.
- Recall, foundationalists assume that there is such a thing as *basic knowledge*, which is defined as:
  - (BK)  $S$  has *basic knowledge* of  $p$  just in case  $S$  knows  $p$  prior to knowing that the cognitive source of  $S$ 's knowing  $p$  is reliable.
- If we combine (BK) with closure, then we can get what Shapiro calls "Easy Knowledge".
- Example: My friend wants a red table for his room, but he is worried that the table in front of us on the showroom floor that *looks* red might be white with red lights shining on it. I try to reassure him by the following reasoning.

**Skepticism III**  
Entailment and Inferential Grounds VII

- (1) The table looks red.
- (2) The table is red.
- (3) If the table is red, then it is not white with red lights shining on it.
- (4) The table is not white with red lights shining on it.
- On standard foundationalist theories, I (and he) can come to know (2) on the basis of (1).
- Since we know (3) *a priori*, then given closure, we can come to know (4), on the basis of (2) and (3).
- It seems like we've come to know (4) *too easily*.
  - Note: even if  $K(4)$  is true,  $KK(4)$  needn't be!

### Skepticism III Entailment and Inferential Grounds VIII

- There is a related problem that Jonathan Vogel calls “Bootstrapping”, which involves obtaining “easy knowledge” about one’s own reliability.
- Example: My friend is worried about the reliability of my color perception. I say, “Let’s check it out.” I set up a slide show in which the screen will change colors every few seconds. Then, I proceed to observe and reason as follows
  - (1) At  $t_1$ , the screen looks red.
  - (2) At  $t_1$ , the screen is red. [from (1), by (BK)]
  - (3) My color perception was accurate at  $t_1$ . [follows from (1) and (2), so I apply closure]
  - (4) At  $t_1$ , the screen looks blue  
... < repeat this procedure  $n$  times >
  - ... So, by closure again, my color perception has always been accurate in the past (at all  $n$  times).

### Skepticism III Entailment and Inferential Grounds IX

- Now, by inductive inference (we can assume as many instances of this pattern have been instantiated in the past as you like), I infer:
  - My color perception is always reliable.
- This seems like “easy knowledge” of the reliability of my own color perception.
- But, all this argument requires is (BK), closure, and the reliability of an inductive inference that seems OK (if *any* inductive inference is OK).
- If this is right, then it seems that we can’t have foundationalism, closure, and the reliability of inductive inference simultaneously.
- But, which one of these three should we give up? Either we go anti-foundationalist, or we go anti-closure, or we go for inductive skepticism.
- Maybe *this* is a reason to give up closure?

### Skepticism III Knowing, Showing, and Order Confusions I

- When the skeptic asks “Do you *know p*?”, this tends to shift the question of whether I *know p* ( $Kp$ ) to whether I *know that* I know  $p$  ( $KKp$ ).
- The skeptic wants me to *show* that I know  $p$  ( $Kp$ ). *Showing* requires offering *premises in support of the claim* that I know  $p$  (i.e., to *justify*  $Kp$ ).
- I may not be able to do this — especially in light of the skeptical challenges the skeptic presents.
- Here’s a salient quote from Stroud:
  - If somebody knows something,  $p$ , he must know the falsity of all those things incompatible with his knowing that  $p$  (or perhaps all those things he knows to be incompatible with his knowing that  $p$ ).
- This presupposes (KK). Why accept *that*?

### Skepticism III Knowing, Showing, and Order Confusions II

- If we’re not careful about these order issues, we might be persuaded by the following reasoning:
  1.  $S$ ’s total evidence in the bad case ( $E_b$ ) supports  $p$  to the same degree (may be *inductive* support) as  $S$ ’s total evidence in the good case ( $E_g$ ) does.
  2. If (1) is true, then  $S$  knows  $p$  in the good case *if and only if*  $S$  knows  $p$  in the bad case.
  3.  $S$  does *not* know  $p$  in the bad case (since  $p$  is *false* in the bad case, and  $Kp$  entails  $p$ ).
  4. Therefore,  $S$  does *not* know  $p$  in the *good* case.
- The subtle problem with this argument is (1).
- The skeptical dialectics *really* seem to motivate:  
(1\*)  $E_b$  and  $E_g$  support  $Kp$  to the same degree.

### Skepticism III

#### Knowing, Showing, and Order Confusions III

- But, do the skeptical arguments even motivate:
  - (1\*) *Eb* and *Eg* support *Kp* to the same degree?
- Putnam (“Brains in a vat”) isn’t convinced. The skeptical scenarios cannot be *too* radical, or the skeptical argument will undermine itself.
- If the skeptical scenario is bizarre *enough*, then, in the bad case, my sentences won’t express the salient propositions (or any propositions at all!).
- For instance, if I’m now *and have always been* a BIV, then “I know I have hands” doesn’t express the same proposition in the good case and the bad case. What *are Eb* and *Kp* in the bad case?
- Hard to say! This can be fixed. If I’m a *recently envatted* BIV, then *Eb* and *Eg* will express the same proposition, and *Kp* will be same in both.

### Skepticism III

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### Skepticism III

#### Interlude – The Paradox of the Knower I

- Consider the following self-referential statement:
  - (*p*) Sentence *p* is not known to be true.
- But, we can *prove p* is true, as follows:
  - (1) If *p* is false, then *p* is true.
  - (2) If (1), then *p* is true.
  - Therefore, (3) *p* is true.
- To see (1), reason as follows. Assume *p* is false. Nothing false can be known to be true. Therefore, *p* is not known to be true. Hence, *p*.
- (2) is a theorem of logic. Basically, (2) is equivalent to: either *p* is true or *p* is true.
- (3) follows from (1) and (2) by *modus ponens*.
- Thus, we have just *proven p self-evidently!*

### Skepticism III

#### Interlude – The Paradox of the Knower II

- Here’s another plausible principle:
  - (\*) If you can *prove p self-evidently*, then you *know* that *p* is true, *a priori*.
- Therefore, by (\*), we *know* that *p* is true.
- Hence, *p* is known to be true.
- But, *p* says of itself that it is *not* known to be true. Paradox! BUT — is (\*) *closure in disguise?*
- Here’s a related paradox:
  - (G) God does not know that G is true.
- We can *prove* (unparadoxically!) that God does not know that G is true!
- This seems like an *a priori* proof that God is not omniscient. And, **he can’t** seem to prove this!